We thank the reviewers for the positive feedback: new state-of-the-art results 1

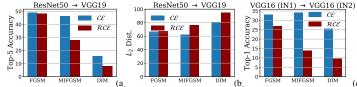
- (R1.2&3), first to explore cross-domain transferability (R1), high significance 2
- to the community (R3), very well written and clear presentation (R1.2&3). 3
- **Code:** Code will be made public. Fig.(1, 2, 3) best viewed in zoom. 4

R1,2&3: Significance of Relativistic Cross-Entropy (RCE): Adversarial per-5

- turbations are crafted via loss function gradients. An effective loss helps in 6
- adversary generation by back-propagating *stronger* gradients. Below, we show 7
- that \mathcal{RCE} ensures this requisite and thus leads to better performance than \mathcal{CE} . 8
- **Notation:** classifier \mathcal{F} , clean sample x, adversarial example x', output scores $a = \mathcal{F}(x)$, $a' = \mathcal{F}(x')$. 9
- Gradient Perspective: Let $\mathcal{CE}(a', y) = -\log(e^{a'_y} / \sum_k e^{a'_k})$ be the CE loss for input x'. For clarity, we define $p'_y = e^{a'_y} / \sum_k e^{a'_k}$. The derivative of p'_y w.r.t a'_i is $\partial p'_y / \partial a'_i = p'_y ([i=y]] p'_i)$. From chain rule, $\partial \mathcal{CE} / \partial a'_i = p'_i [[i=y]]$ (Eq. 1). For relativistic loss, $\mathcal{RCE}(a', a, y) = -\log(e^{a'_y a_y} / \sum_k e^{a'_k a_k})$, we define $r_y = (e^{a'_y a_y} / \sum_k e^{a'_k a_k})$. The derivative of r_y w.r.t a'_i is $\partial r_y / \partial a'_i = r_i ([[i=y]] r_y)$. From chain rule, $\partial \mathcal{RCE} / \partial a'_i = r_i [[i=y]]$ (Eq. 2). 10 11 12 13
- In light of above relations, \mathcal{RCE} has three important properties: (a) Comparing (Eq. 2) with (Eq. 1) shows that \mathcal{RCE} gra-14
- dient is a function of 'difference' $(a'_y a_y)$ as opposed to only scores a'_y in CE loss. Thus it measures the relative change 15
- in prediction as an explicit objective during optimization. (b) \mathcal{RCE} loss back-propagates larger gradients compared to 16
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- In prediction as an explicit objective during optimization. (b) we consider propagates larger gradients compared to \mathcal{CE} , resulting in efficient training and stronger adversaries (see Fig. 1 for empirical evidence). Sketch Proof: We can factorize the denominator in (Eq. 2) as follows: $\partial \mathcal{RCE}/\partial a'_i = (e^{a'_y a_y}/(e^{a'_y a_y} + \sum_{k \neq y} e^{a'_k a_k})) [[i=y]]$. Consider the fact that maximization of \mathcal{RCE} is only possible when $e^{(a'_y a_y)}$ decreases and $\sum_{k \neq y} e^{(a'_k a_k)}$ increases. Generally, $a_y \gg a_{k\neq y}$ for the score generated by a pre-trained model and $a'_y \ll a'_{k\neq y}$. Thus, $\partial \mathcal{RCE}/\partial a'_i > \partial \mathcal{CE}/\partial a'_i$ since $e^{(a'_y a_y)} < e^{(a'_y)}$ and $\sum_{k\neq y} e^{(a'_k a_k)} > \sum_{k\neq y} e^{(a'_k)}$. In simple words, the gradient strength of \mathcal{RCE} is higher than \mathcal{CE} . (c) In case x is misclassified by $\mathcal{F}(\cdot)$, the gradient strength of \mathcal{RCE} is still higher than \mathcal{CE} (here noise update with the \mathcal{CE} is a product of \mathcal{RCE} is a product of \mathcal{RCE} is a product of \mathcal{RCE} is still higher than \mathcal{CE} (here noise update with the \mathcal{CE} is a product of \mathcal{RCE} is a product of \mathcal{RCE} is a product of \mathcal{RCE} is still higher than \mathcal{CE} (here noise update with the \mathcal{LE} is a product of \mathcal{RCE} is a product of \mathcal{RCE} is a product of \mathcal{RCE} is for a product of \mathcal{RCE} is for a product of \mathcal{RCE} is a product of \mathcal{RCE} in the product of \mathcal{RCE} is a product of \mathcal{RCE} is a product of \mathcal{RCE} is a product of \mathcal{RCE} in the product of \mathcal{RCE} is a product of \mathcal{RCE} in the product of \mathcal{RCE} is a product of \mathcal{RCE} in the product of \mathcal{RCE} is a product of \mathcal{RCE} in the product of \mathcal{RCE} is product of \mathcal{RCE} in the product of \mathcal{RCE} is product of \mathcal{RCE} in the product of \mathcal{RCE} is product of \mathcal{RCE} in the product of $\mathcal{RC$ 20
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- \mathcal{CE} loss will be weaker since adversary's goal is already achieved i.e., x is misclassified). We will add it in final version. 23
- **Evaluation:** We further validate (see Fig. 2) the significance of \mathcal{RCE} compared to \mathcal{CE} in terms of three criterion 24

(accuracy, logits difference and transfer to unseen classes). For the test on unseen classes, we divide ImageNet into two 25

- mutually exclusive sets (500 classes each), named IN1 and IN2. VGG16 is trained on IN1 & IN2 from scratch. 26
- **R1:** 1) RCE Justification: See R1,2&3 above. 2) 27 Relation with Style-Transfer: We visualize the 28 intermediate feature space of cross-domain per-29 turbed images and compare it with original and 30 stylized images (Fig. 3). We note that the feature 31 space of perturbed images is fairly shifted from 32 the original and stylized images. This shows that 33 although some of the generated patterns resemble 34
- "style" of a specific domain (e.g., in Fig. 3 main 35
- paper), the overall behaviour of our proposed ap-36



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Number of iterations

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Figure 1: Loss and gradients trend for CE and

RCE loss. Results are reported with VGG16 net-

work on 100 random images for MIFGSM attack.

RCE

Number of iterations

-RCE

Figure 2: (a) shows Top-5 accuracy of adversaries (lower is better), (b) shows normalized l_2 difference b/w logits of adversarial and benign examples (higher is better) while (c) shows transferability to unseen classes. In each case \mathcal{RCE} perform significantly better than \mathcal{CE} .

proach is distinct from style transfer. This is potentially due to the existence of "non-robust features" defined as 'features 37 that are highly predictive but brittle and incomprehensible to humans' [A1]. Since, our generated perturbations are 38 bounded (as opposed to unbounded style transfer), the attacker is likely to focus on the non-robust features. We will add 39 further qualitative examples on other domains in final version (Fig. 6 in supp. material). 3) Notations: Will update in 40 the final draft. 4) On Adversarial Training Defenses: Our main draft already includes evaluations with adversarial 41 training (Tab.5&6 in paper). 5) On the Existence of Universal Adversarial Function (UAF): Earlier works [A2,A3] 42 show that universal adversarial perturbations exist due to overlap in decision space of different classification models. 43

Our work empirically shows that the same holds true even across different domains. This possibly happens due to the 44

overlap between latent low-dimensional manifolds across different domains. 45

R2: Theoretical Result: See R1,2&3 earlier. Typo: We thank R2 & fix it. 46

- R3: 1) Use of Instance-Agnostic: We used this term to differentiate the 47
- one-time training feature of our attack as opposed to instance-specific 48
- attacks. However, we acknowledge R3's point and will replace this term 49
- with *domain-agnostic* for clarity. 2) Comparison with [1,19]: [1] trains 50
- conditional generators to learn original data manifold and searches the latent 51
- space conditioned on the human recognizable target class that is mis-classified by a target classifier. Different to [1], 52
- our approach learns to add adversarial noise to the original samples. [19] produces adversarial images by employing a 53
- separate discriminator alongside classifier. Different to [19], we train a generator to first produce unbounded adversaries 54
- and then project them to nearby original images. We thank R3 and will add further discussion in final version. 55

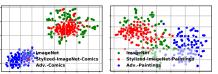


Figure 3: t-SNE visualization for features of 100 im-

ages and their corresponding stylized and perturbed ver-

sions. VGG16 is used to extract features

[[]A1] Ilyas, Andrew, et al. "Adversarial examples are not bugs, they are features." arXiv (2019). [A2] Tramèr, Florian, et al. "The space of transferable adversarial examples." arXiv (2017). [A3] Dezfooli, Seyed, et al. "Analysis of universal adversarial perturbations." arXiv (2017).