

1 We thank the reviewers for their careful consideration of our paper and their positive feedback. In the following
2 paragraphs, we address some comments and questions asked by the reviewers.

3 **Reviewer 1**

4 Thank you very much for your review and suggestions.

5 **Question:** *Is the sample complexity upper bound of $1/\gamma^2\epsilon^2$ optimal especially under the restricted approximation*
6 *factor considered in Theorem 3.2 and Theorem 3.3?*

7 **Answer:** Theorem 3.2 considers the agnostic version of the problem (what we call 1-agnostic in our paper). This is
8 the most stringent notion of approximation and it is known that the sample complexity of this problem is $\Omega(1/(\epsilon^2\gamma^2))$
9 (information-theoretic lower bound). See, e.g., [BS00] or [SSS09] for an explicit reference.

10 Regarding weaker notions of approximation (like the ones addressed in our Theorems 3.1, 3.3 and our upper bounds in
11 the supplementary material) we note the following: For a constant factor approximation ratio α , one can show that
12 indeed the $\Omega(1/(\epsilon^2\gamma^2))$ bound applies as well. Since we could not find an explicit reference of this fact, we remark
13 the following: Even for the basic case that the data is *linearly separable with margin γ* (i.e., $\text{OPT}_\gamma^{\mathcal{D}} = 0$), the sample
14 complexity of learning is $\Omega(1/(\epsilon\gamma^2))$. This is a known fact and can be found, e.g., in Cristianini Shawe-Taylor's book.
15 Therefore, even for weaker notions of approximation (i.e. $\alpha = \infty$) our sample complexity is optimal as a function
16 of γ and within a quadratic of optimal as a function of ϵ . Note that previous algorithms (with similar approximation
17 guarantees) had sample complexity exponential in $1/\gamma$.

18 **Question:** *Line 254, by the standard arguments, it seems that the ϵ term should contain a multiplicative factor of $1/\gamma$.*

19 **Answer:** We are not sure exactly what the reviewer means here. Fact 2.4 (lines 251-254) is a standard generalization
20 bound that we quoted from the literature, saying that after $\Omega(1/(\epsilon^2\gamma^2))$ samples the empirical distribution is accurate
21 with high constant probability. In particular, we believe that line 254 is correct as is.

22 We will fix the other typos in the revised version of the paper.

23 **Reviewer 2**

24 Thank you very much for your review and suggestions.

25 **Reviewer 3**

26 Thank you very much for your review and suggestions.

27 **Question:** *In section 1.4, Chow parameters are mentioned, but they are not subsequently used in the presented analysis,*
28 *they are only used in the supplementary material. It is not clear how the algorithm and analysis in the supplementary*
29 *relate to the ones in the paper.*

30 **Answer:** The reviewer is correct that the Chow parameters do not appear again in the main body of the paper. We use
31 the notion of Chow parameters in our second algorithm for large values of α (Theorem 1.2), and its proof is entirely in
32 the supplementary material. This algorithm is based on a somewhat different approach than our main algorithmic result
33 (Theorem 2.1). We will make sure to highlight this more clearly in the revised version.

34 A brief high-level description of our algorithm for large values of α can be found at the end of page 3. To reiterate here,
35 it is well-known that the Chow parameters of a halfspace uniquely determine the function. With a margin condition, one
36 can show a robust version of this statement. Our algorithm attempts to approximate the true Chow parameters. In the
37 realizable setting, this would amount to simply using the empirical Chow parameters. However, in the agnostic setting
38 we consider, the corruptions can only produce a large change in the empirical Chow parameters if the error points in
39 question are very large in the direction of the change. Our algorithm works by guessing a small number of points and
40 guessing a correction for the empirical Chow parameters in the subspace spanned by them. Once we have robustly
41 learned the Chow parameters, we can use them to efficiently find the weights of an approximate linear separator by
42 leveraging known techniques.

43 We will fix the other typos pointed out in the revised version of our paper.